

Defining and calculating dimensions

Starter

1. A car of mass 950 kg moves along a horizontal road with its engine working at a constant rate of 25 kW. The car accelerates from 14 m/s to 18 m/s. Assuming there is no resistance to motion, calculate the time taken.

Notes

In mechanics, the dimensions of quantities can be expressed in terms of **M** for mass, **L** for length and **T** for time.

Use **square brackets** to abbreviate the phrase '*the dimension of*' i.e. $[v]$ means the dimension of velocity.

When working out the dimensions of a quantity, it is useful to **consider the units** used.

E.g. 1 Find the dimensions of velocity.

Working: Possible units for velocity are m/s so $[v] = \text{LT}^{-1}$

The dimensions of scalar quantities are the same as their vector equivalents so, for example, velocity and speed have the same dimensions.

N.B. Numbers, including irrational numbers such as π , are dimensionless.

When it is not entirely obvious what the dimensions of a unit are, write down a formula for the quantity.

E.g. 2 By considering the formula $s = r\theta$, where s is the arc length of a sector and r is its radius, decide what the dimensions of angles are.

E.g. 3 Find the dimensions of force.

E.g. 4 Find the dimensions of: (a) kinetic energy (b) power.

Video: [Dimensions of quantities and units](#)
Video: [Dimension analysis example A](#)
Video: [Dimension analysis example B](#)

[Solutions to Starter and E.g.s](#)

Exercise

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Summary

Dimensions of quantities can be expressed in terms of M for mass, L for length and T for time.

Notation: $[v]$ means the dimension of velocity.

When working out the dimensions of a quantity, it is useful to consider the units used or to write down a formula for the quantity.

The dimensions of scalar quantities are the same as their vector equivalents.